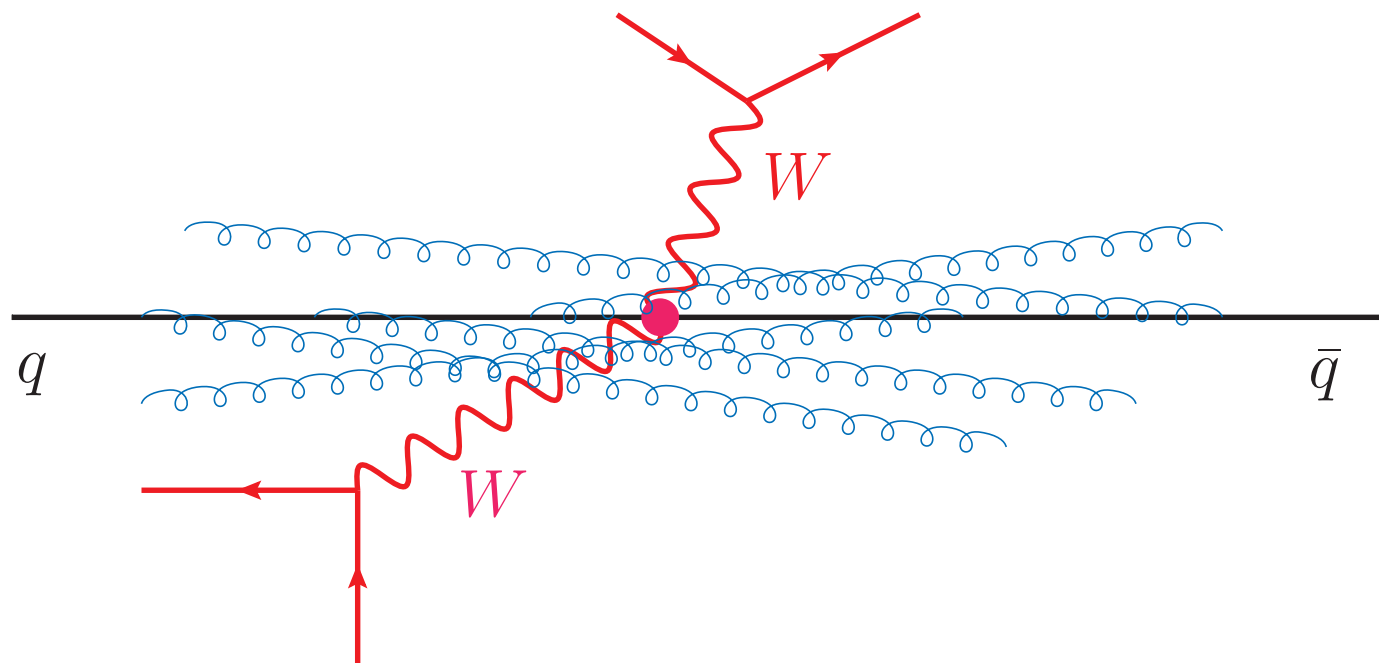


Resummation Predictions for WW Production at the LHC

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Brown University



References :

arXiv:1407.4537 : PJ and Takemichi Okui

arXiv:1506.07529 : PJ and Takemichi Okui

arXiv:1509.07118 : PJ, Patrick Meade and Harikrishnan Ramani

A tale of two Ws

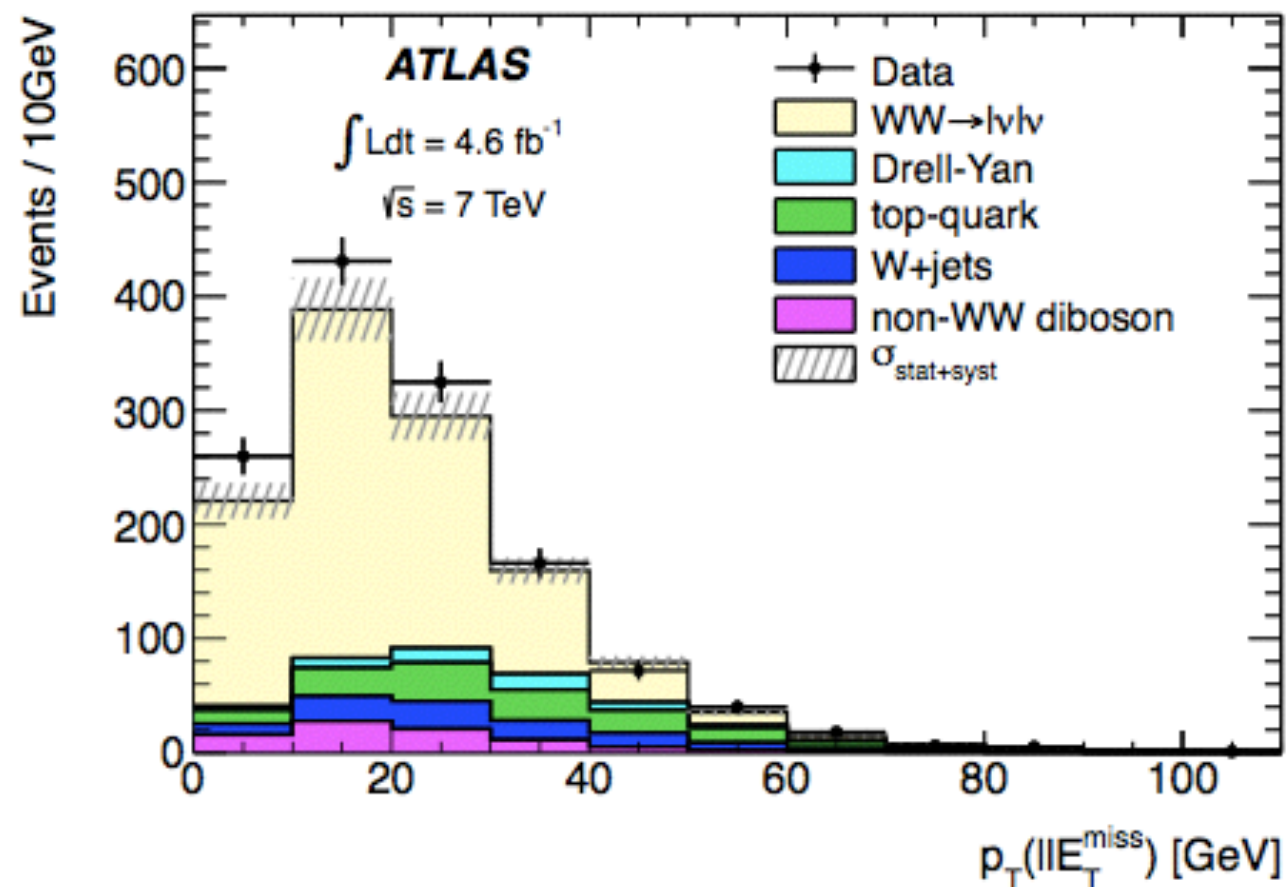
\sqrt{s}	ATLAS σ [pb]	CMS σ [pb]	<div>NLO</div> Theory (MCFM) σ [pb]	<div>NNLO : 1408.5243 Gehrmann et al.</div> σ_{NNLO}
7 TeV	<div>51.9</div> $^{+2.0+3.9+2.0}_{-2.0-3.9-2.0}$ [13]	<div>52.4</div> $^{+2.0+4.5+1.2}_{-2.0-4.5-1.2}$ [14]	<div>47.04</div> $^{+2.02+0.90}_{-1.51-0.66}$	<div>49.04</div> $^{+2.1\%}_{-1.8\%}$
8 TeV	<div>71.4</div> $^{+1.2+5.0+2.2}_{-1.2-4.4-2.1}$ [15]	<div>69.9</div> $^{+2.8+5.6+3.1}_{-2.8-5.6-3.1}$ [16]	<div>57.25</div> $^{+2.35+1.09}_{-1.60-0.80}$	<div>59.84</div> $^{+2.2\%}_{-1.9\%}$

- Process : $p p \rightarrow W W \rightarrow \ell \nu \ell \nu$
- Mild excesses reported by ATLAS and CMS at 7 and 8 TeV measurements.
- Discrepancy reduces slightly at NNLO but does not go away.

A tale of two Ws

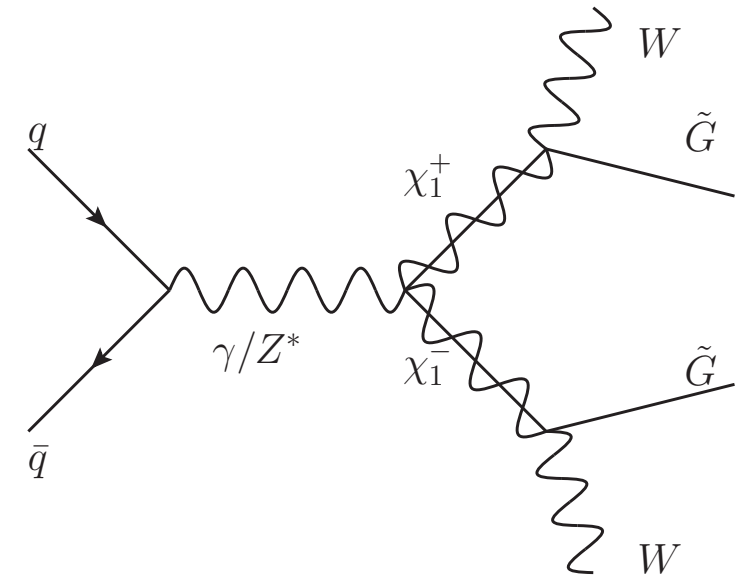
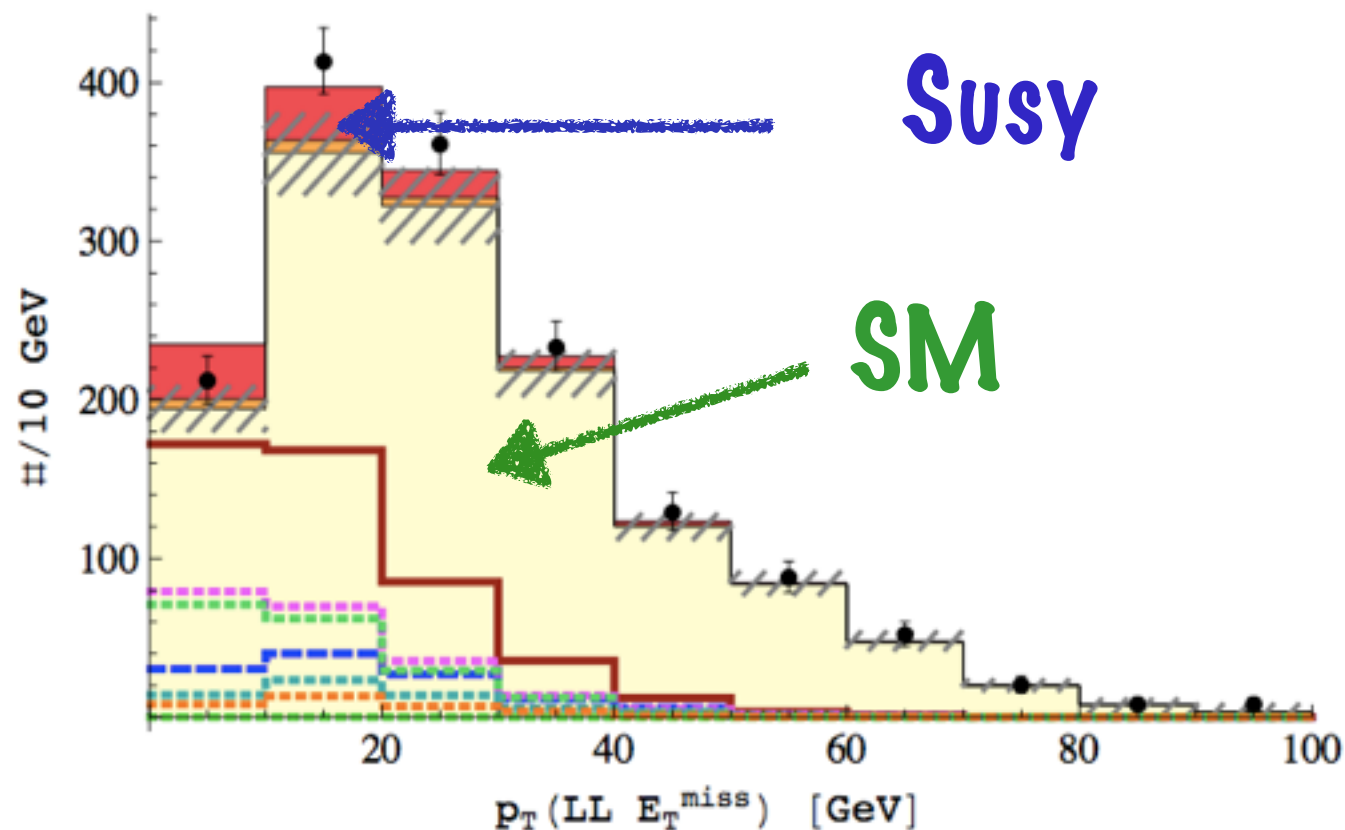
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- Discrepancy also exists in shapes.



A tale of two Ws

- New physics hiding in plain sight? ($\ell \ell + \text{MET}$ final state)
- *Could it be SUSY?*



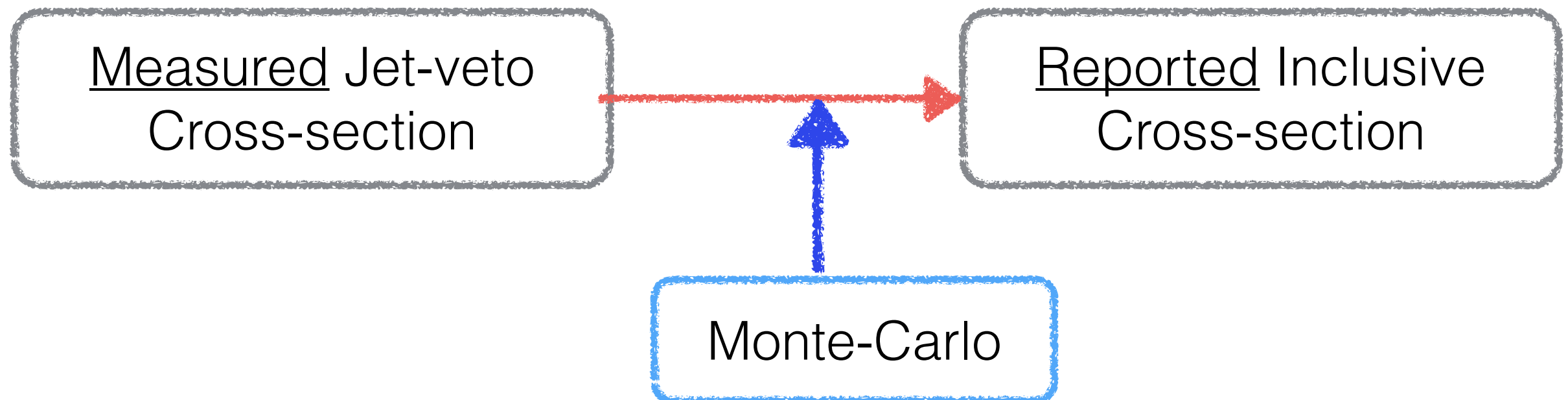
110 GeV charginos

D. Curtin, PJ, and P. Meade,
Charginos hiding in plain sight
[arXiv:1206.6888]

- Any new physics charged under electroweak gauge group could possibly lead to such signatures. Other proposed explanations for the WW excess include sleptons and stops.

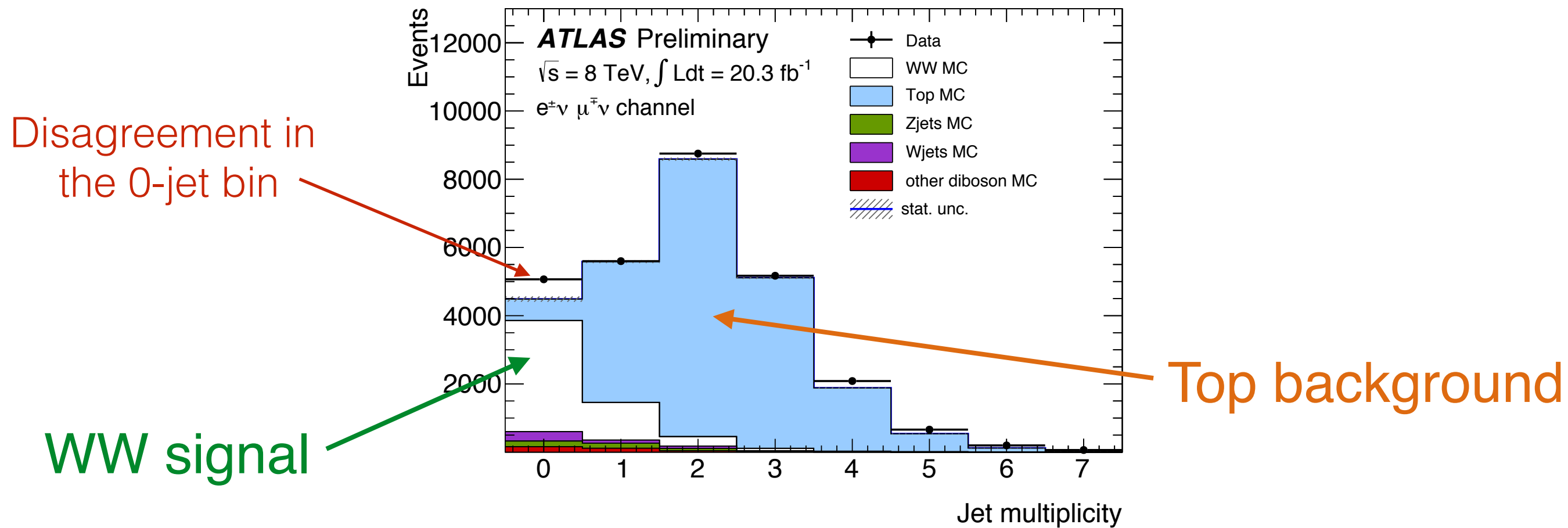
A tale of two Ws

- *Could the WW excess have a QCD explanation?*
- Cross-section reported : $p p \rightarrow W W + X$
X are all hadronic final states i.e. **inclusive** measurement
- Actual measurement : $p p \rightarrow W W + X'$
X' are some hadronic final states that pass **jet-veto** condition.



Do we have a good theoretical understanding of MC?

A tale of two Ws



Measured Jet-veto
Cross-section

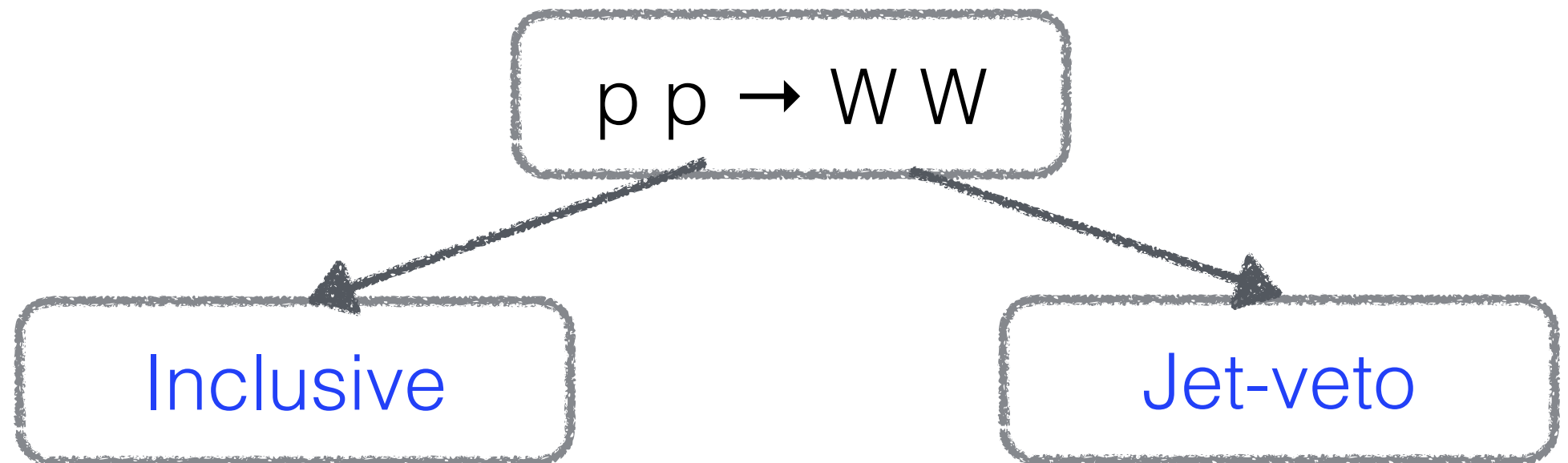
Reported Inclusive
Cross-section

Monte-Carlo

Two methods to test MC

Method I : Jet Veto Resummation

- Origin of large jet veto logs :



Scales in
the problem

$$M_{WW}$$

$$p_T^{\text{veto}}, M_{WW}$$

Logs at
higher orders

$$\log(M_{WW}/\mu)$$

$$\log(M_{WW}/\mu)$$

$$\log(p_T^{\text{veto}}/\mu)$$

Choice of μ to
minimize logs

$$\mu \sim M_{WW}$$

No choice of μ
Large logs of the form
 $\log(p_T^{\text{veto}}/M_{WW})$ remain

Method I : Jet Veto Resummation

- Our approach: Calculate jet-veto cross-section analytically by resummation at NNLL using SCET without relying on MC.

[arXiv:1407.4537 : PJ and T. Okui]

- Factorization of cross-section :

$$\frac{d\sigma}{dM} \sim H(\mu) Z_s(\mu, \nu, \bar{\nu}) B(\mu, \nu) \bar{B}(\mu, \bar{\nu})$$

Hard function Soft function Beam functions

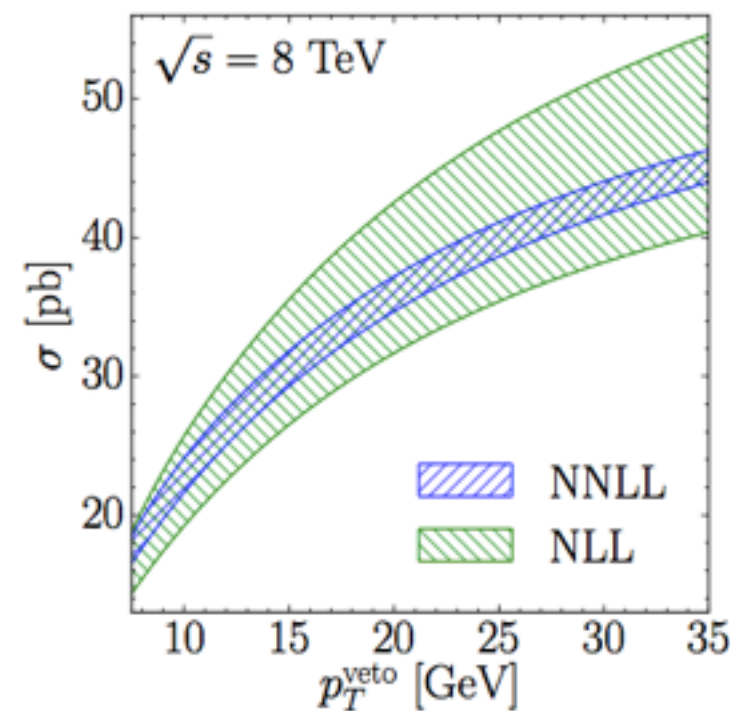
- Beam functions have divergences (**rapidity divergences**) which are not regulated by dimensional regularization
- We introduce the following analytic regulator

$$\left(\frac{\nu}{k_+}\right)^\alpha \theta(k_+ - k_-) + \left(\frac{\bar{\nu}}{k_-}\right)^{\bar{\alpha}} \theta(k_- - k_+)$$

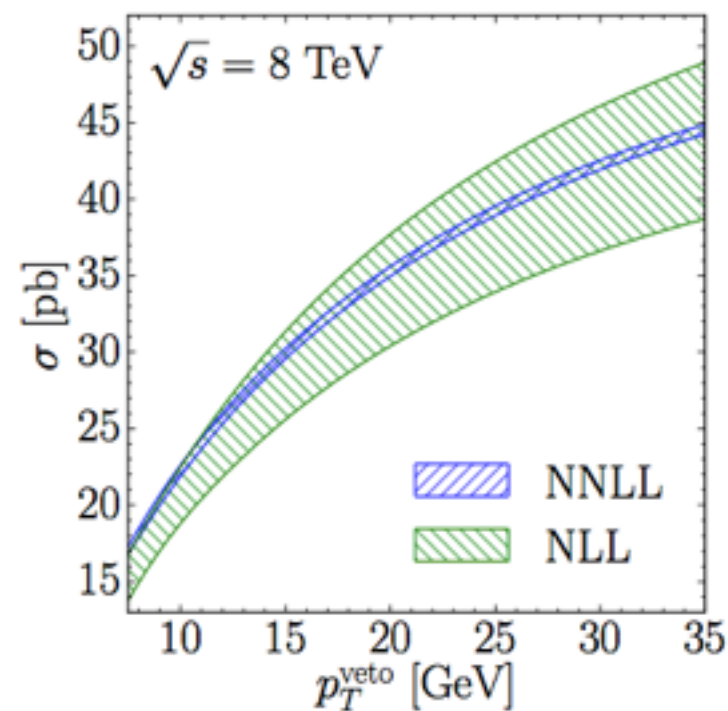
Splits the phase space integrals into regions of different rapidities

Method I : Jet Veto Resummation

- Corresponding to rapidity regulator exists a **rapidity renormalization group (RRG)** equations, just as there exists RG equations corresponding to dim reg regulator μ .
- Formulation of RRG with analytic regulator had been missing in the literature. We address this issue [*arXiv:1506.07529 : PJ and Takemichi Okui*].



With RRG



Without RRG

Jet radius
 $R=1$

More robust scale uncertainties using RRG (central value unchanged).

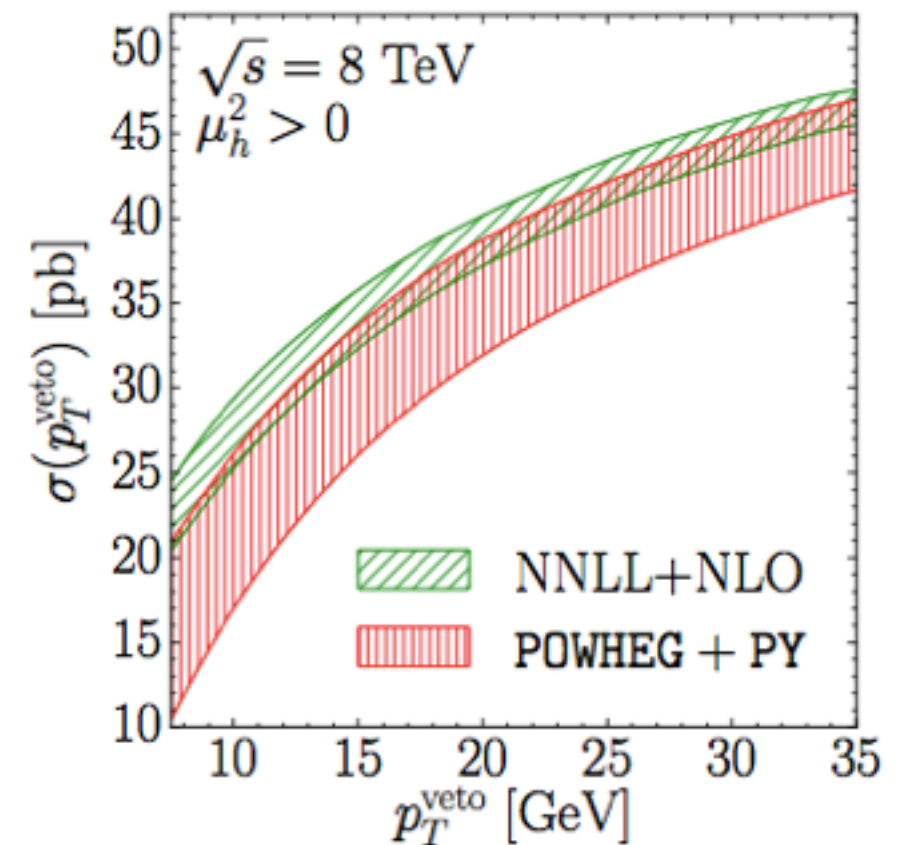
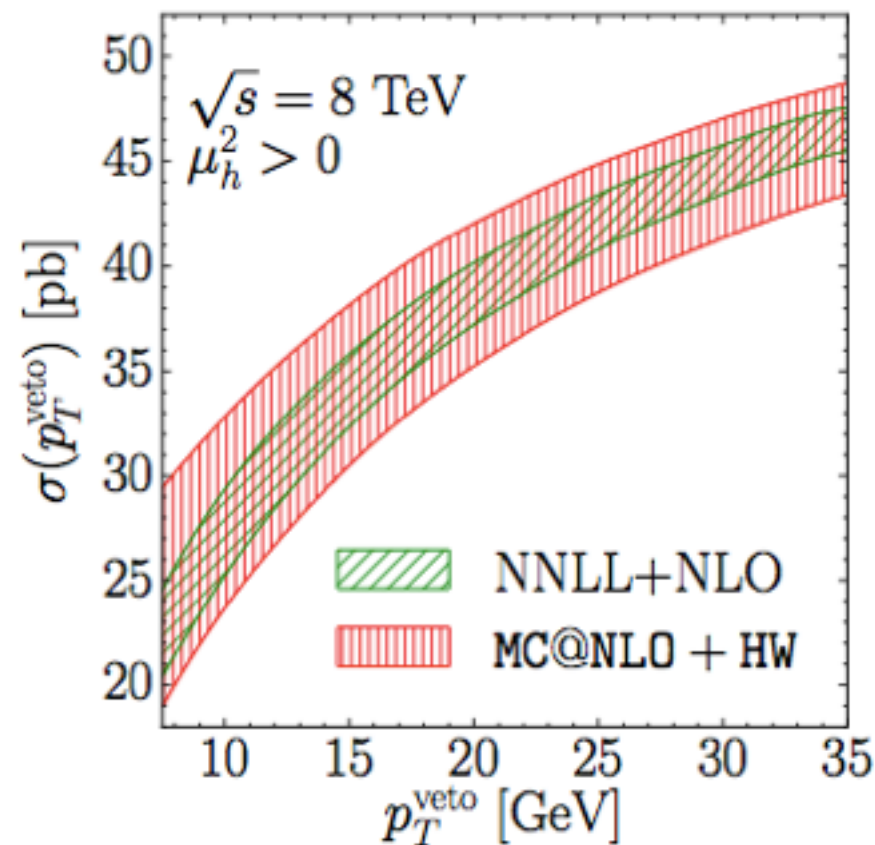
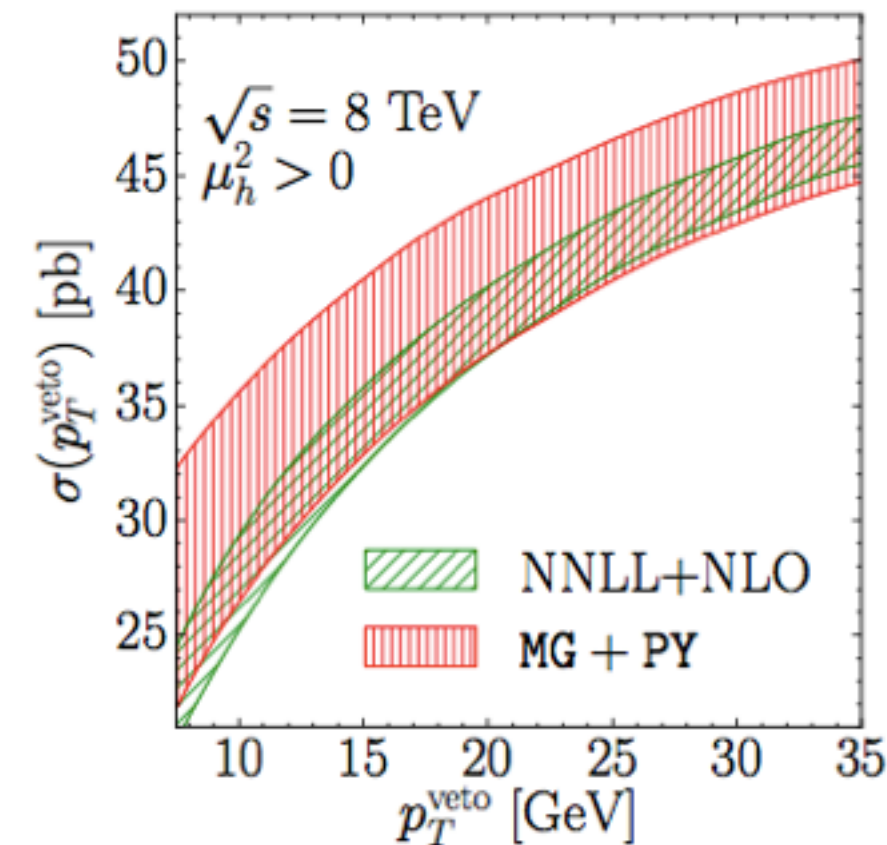
Method I : Jet Veto Resummation

- Comparison with MC+Parton shower

Madgraph
+Pythia

MC@NLO
+Herwig

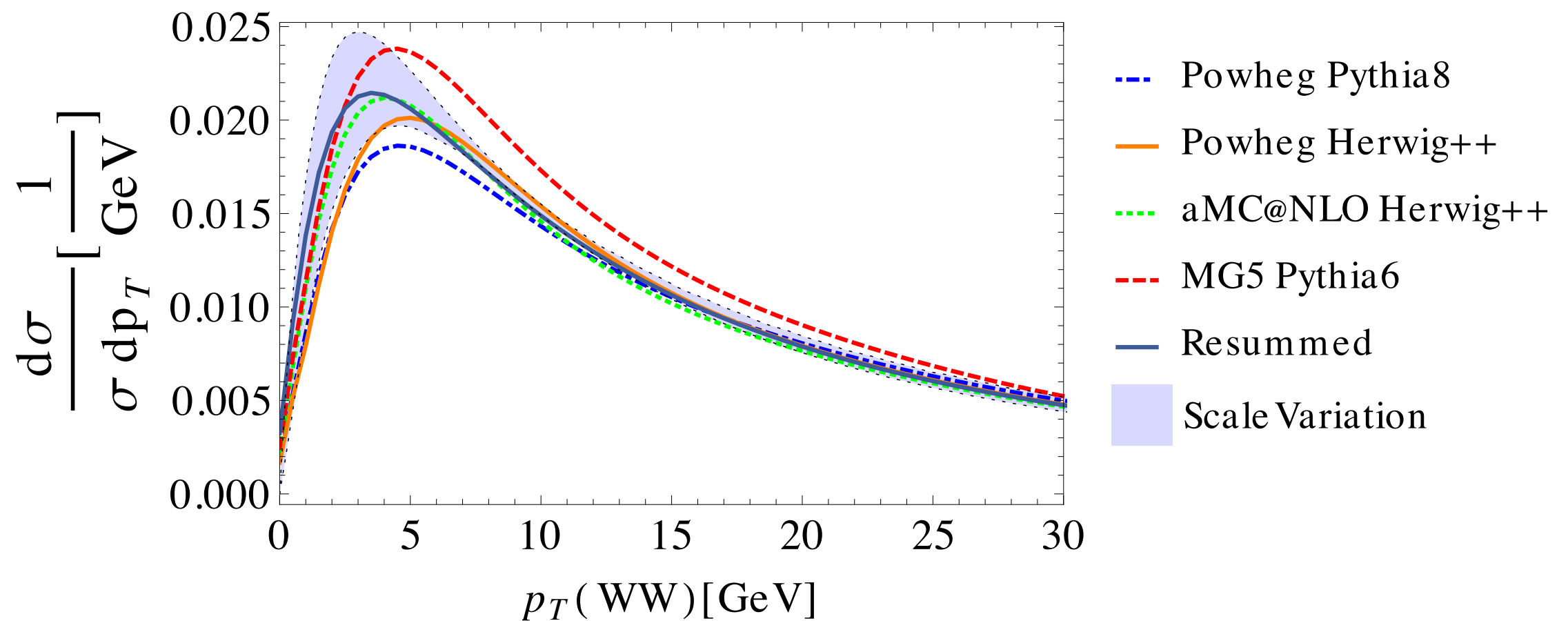
Powheg
+Pythia



*without π^2 Resummation

Method II : p_T Resummation

- Discrepancy between p_T (WW) distribution shapes from NNLL p_T -resummation and MC [*arXiv:1407.4481, P. Meade et al.*]



- Reweight MC :

$$F[\xi] = \frac{\text{Resummed bin}[\xi]}{\text{MC bin}[\xi]}$$

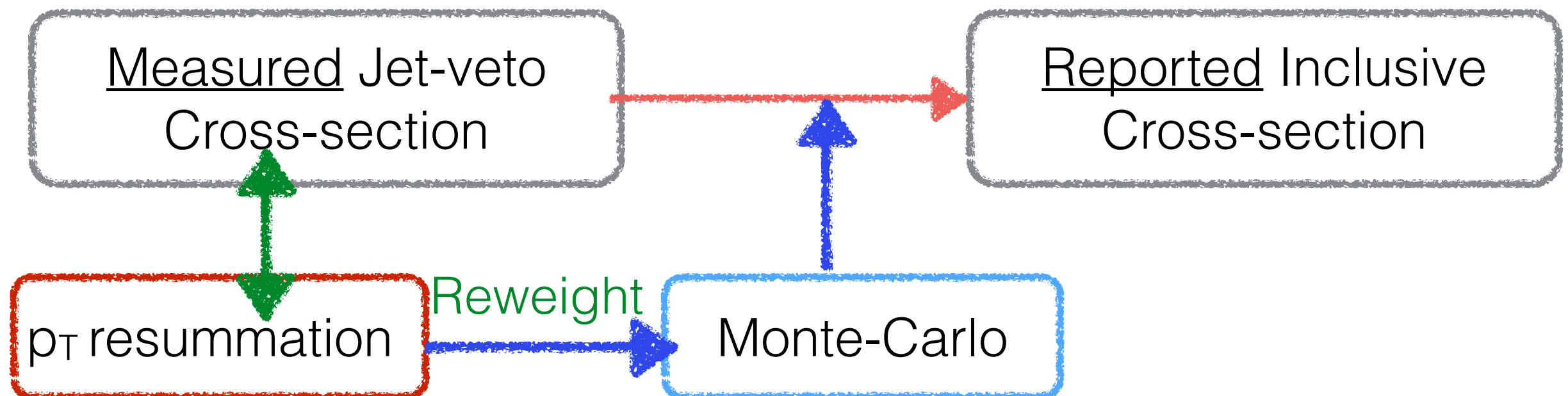
Method II : p_T Resummation

- **New CMS 8 TeV analysis** [*CMS-PAS-SMP-14-016*] reweights MC to correct for the p_T distribution.

$$\sigma_{W^+W^-} = 60.1 \pm 0.9 \text{ (stat.)} \pm 3.2 \text{ (exp.)} \pm 3.1 \text{ (th.)} \pm 1.6 \text{ (lum.) pb.}$$

$$\text{Theory : } 59.8^{+1.3}_{-1.1} \text{ pb}$$

- Some correlations between jet-veto and p_T of the WW system captured by p_T reweighting technique.

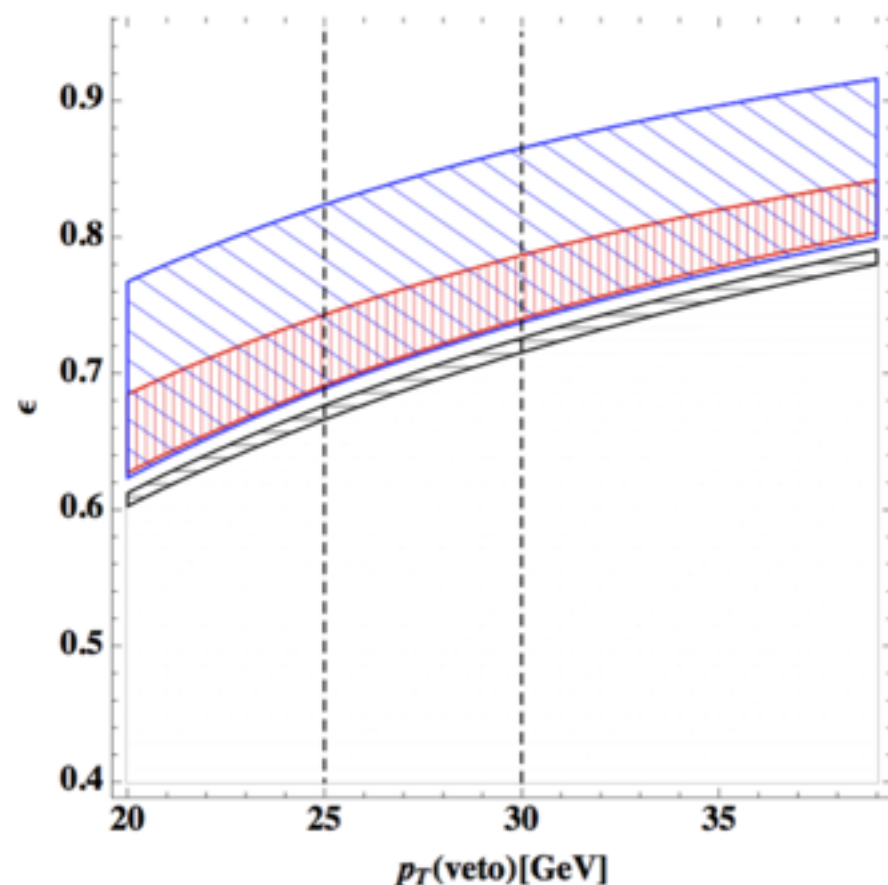


Comparison of two methods

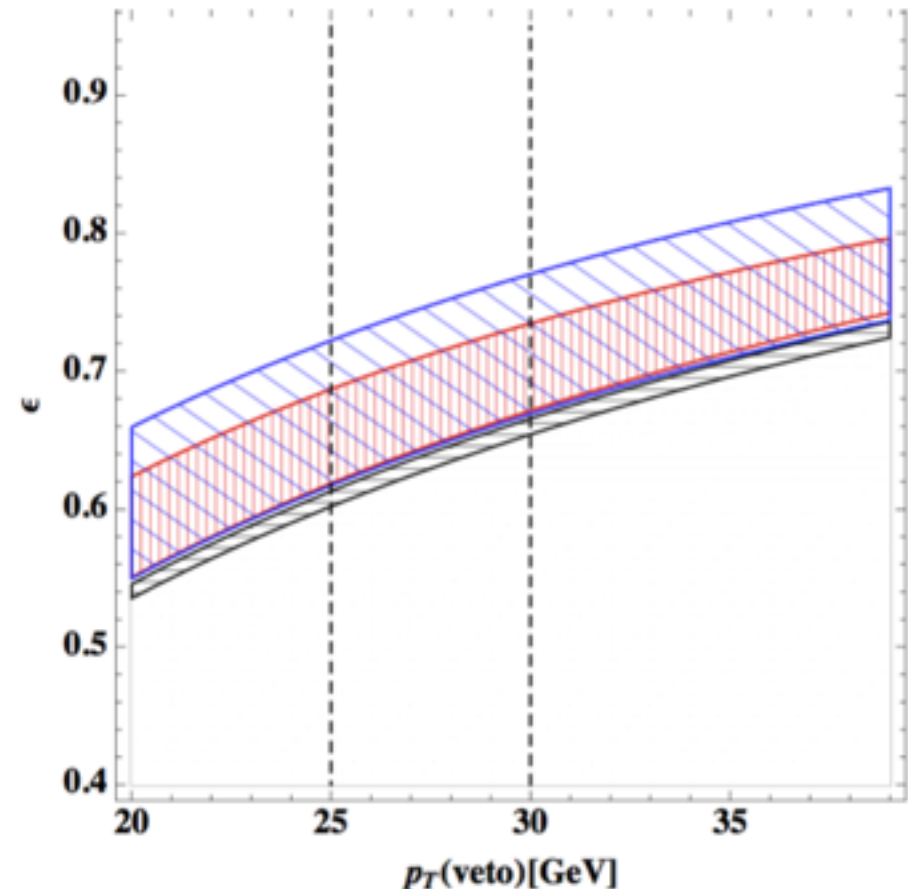
- **Jet-veto resummation** : Guaranteed to get the correct total jet-veto cross-section but provides no information on the p_T shape.
- **p_T resummation** : Guaranteed to get the correct p_T shape for the total cross-section but relies on MC for jet-binning.
- Main source of discrepancy between two methods ($\sim 5\text{-}9\%$) is that method I employs π^2 resummation which also increases the inclusive cross-section while method II fixes the inclusive cross-section to fixed-order.
- Incidentally, increase in cross-section from π^2 resummation effect in method I is very similar to that from NNLO.

Comparison of two methods

- For apples to apples comparison, use the same PDFs, scales, etc. [*arXiv:1509.07118 : PJ, Patrick Meade and Harikrishnan Ramani*]



8 TeV



14 TeV



JetVetoResummation



p_T Resummation
(MC reweighted
with p_T of WW)



PowhegPythia

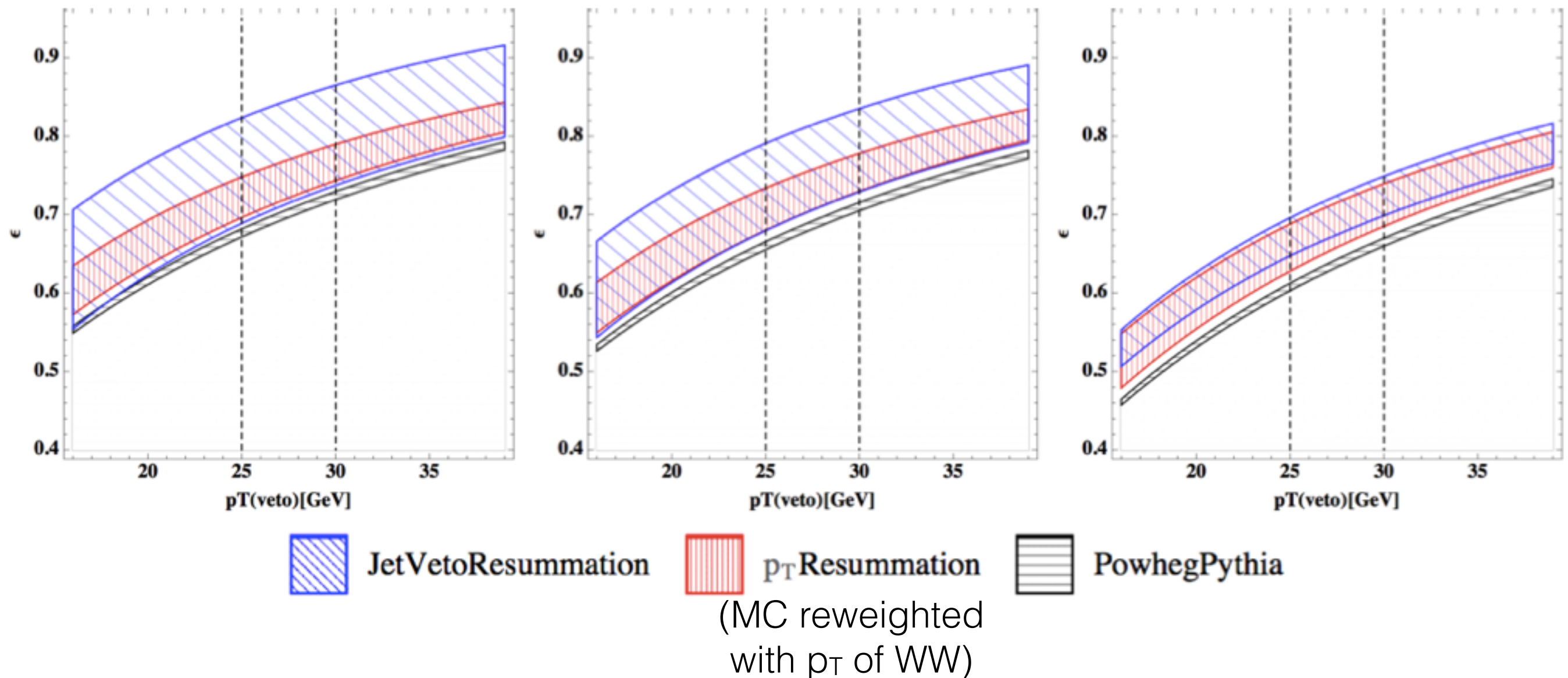
Comparison of two methods

- Better agreement between the two methods for large R .

$R=0.4$

$R=0.5$

$R=1$



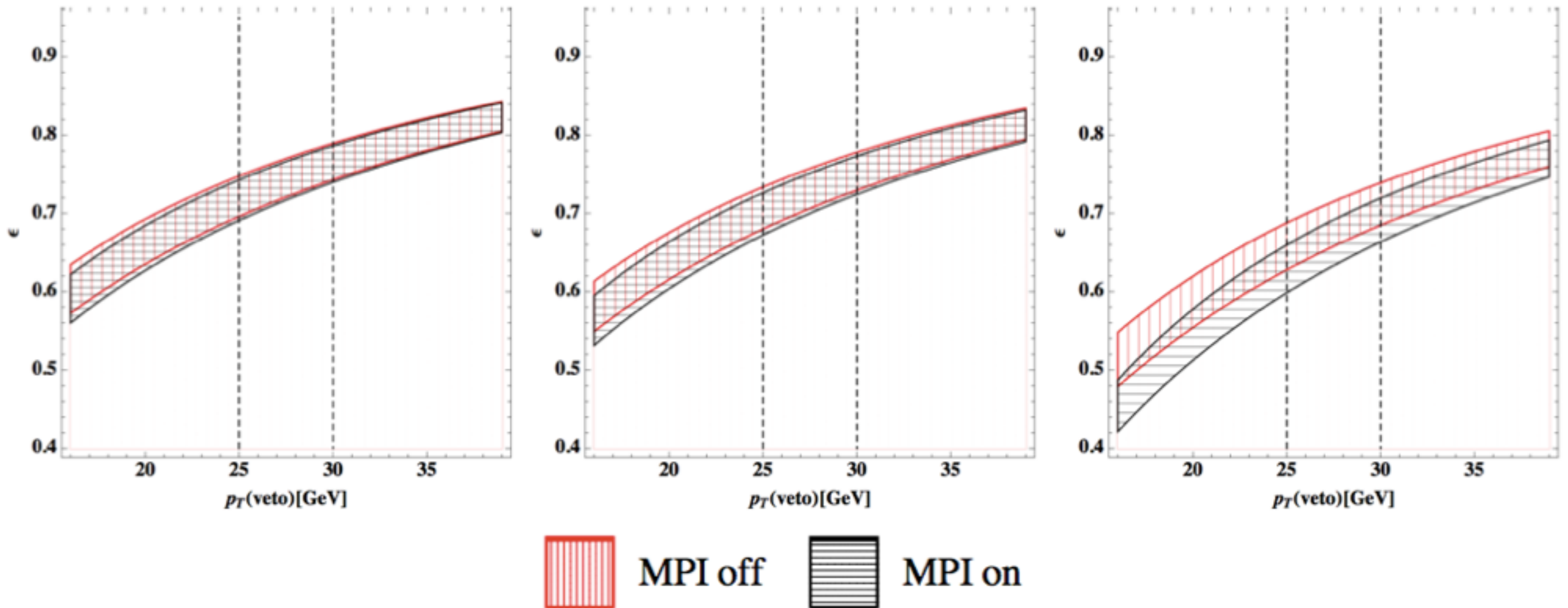
Comparison of two methods

- But MPI effects also big at large R.

R=0.4

R=0.5

R=1

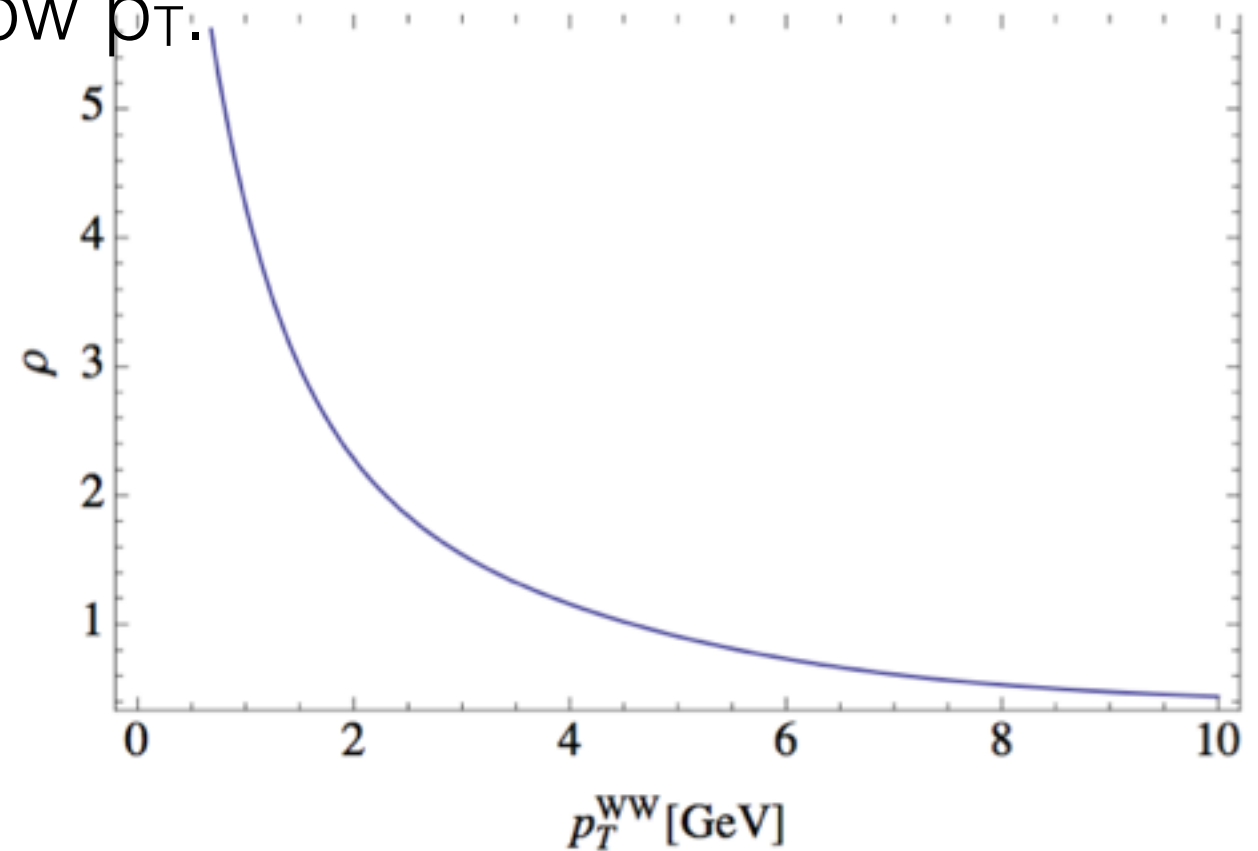


Comparison of two methods

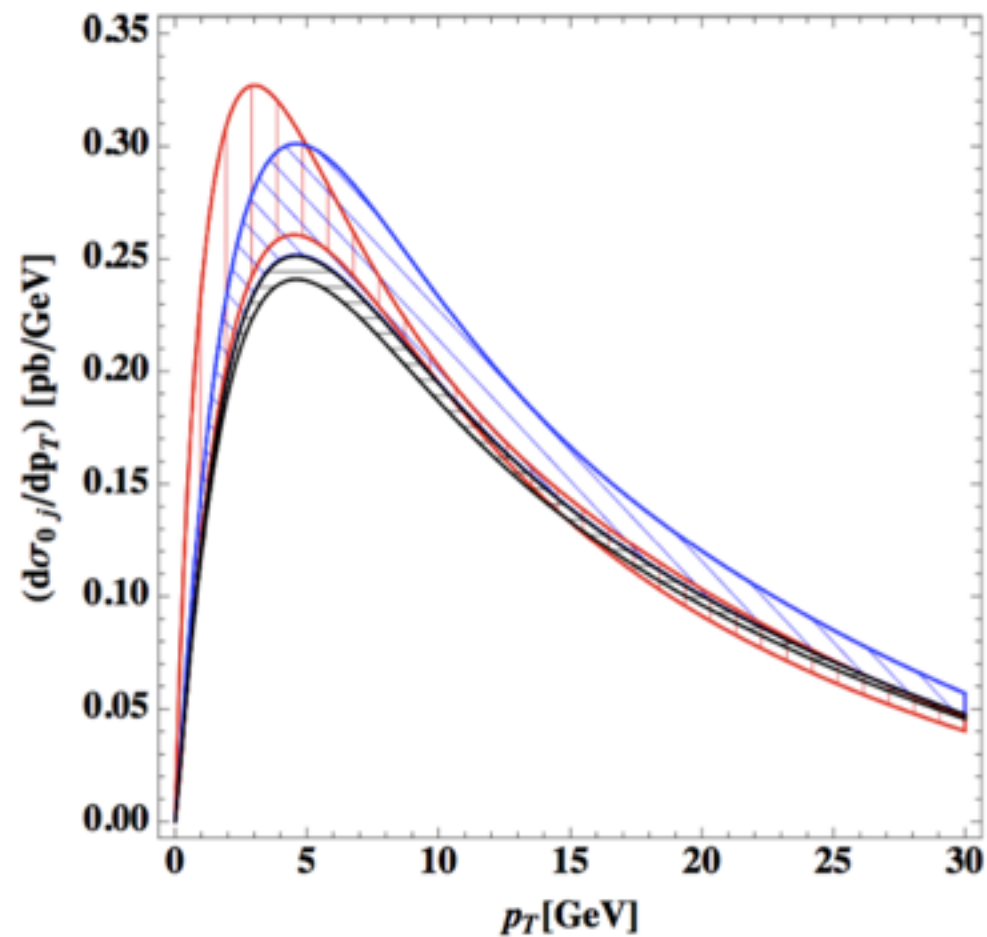
- Inspired by p_T -reweighting technique, we consider a new reweighting technique using p_T of the leading jet instead of p_T of the WW system.
- The basic idea is to get the p_T shape of WW in the 0-jet bin using jet-veto resummation relying on the correlation between $p_T(WW)$ and $p_T(\text{leading jet})$.
- However, correlation worsens at low p_T .

$$\rho(p_T) = \frac{\langle |p_T^j(p_T) - p_T| \rangle}{p_T}$$

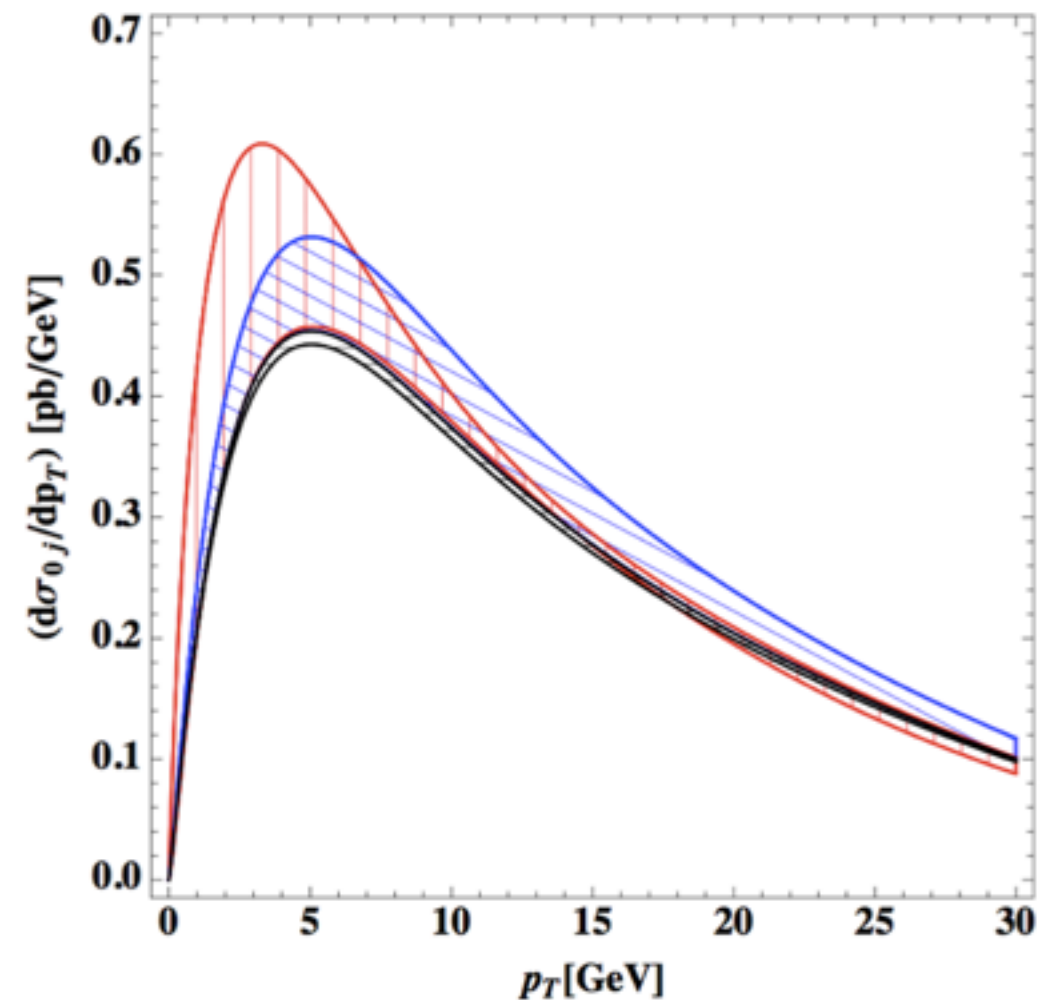
- Also, non-perturbative and MPI effects at low p_T lead to large uncertainties.
- Therefore, we simply use two-bin reweighting in p_T of the leading jet.



Comparison of two methods



8 TeV



14 TeV



JetVetoResummation

(MC reweighted
with p_T of leading jet)



p_T Resummation

(MC reweighted
with p_T of WW)



PowhegPythia

Summary

- WW is an important background for Higgs studies and new physics searches.
- Jet veto in WW channel is often essential for suppressing top backgrounds.
- Jet veto logs can be large and need to be resummed.
- Two methods for resummation : Jet-veto resummation and p_T resummation followed by reweighting.
- Good agreement between two methods demonstrated and a new reweighting technique proposed.
- Analysis should be extended to other diboson channels for better understanding.